

Introduction to distance sampling

Workshop, 11th September 2021

Centre for Research into Ecological and Environmental Modelling

Exercise 3. Point transect exercises

The purpose of this exercise is to analyse point transect survey data: it can sometimes be more difficult than line transect data. In the first problem, the data are simulated and so the true density is known. In the second problem, two different data collection methods were used to survey song birds.

1 Objectives

The aim of this practical are to:

1. Practice fitting detection functions to point transect survey data.
2. Use data from the `dsdata` package.

2 Simulated survey data

Simulated point transect data from 30 points are given in the text file 'IntroDS_3Rbras.1.csv'. These data were generated from a half-normal detection function and the true detection function was 79.8 animals/hectare ¹. The perpendicular distances were recorded in metres.

Load the data, check it is OK and plot the perpendicular distances.

```
library(Distance)

# Read in data
ptdat <- read.csv(file="IntroDS_3Rbras.1.csv", header=TRUE)

# What does the data look like
head(ptdat)
hist(ptdat$distance)
```

To fit a point transect detection function, the argument `transect="point"` needs to be specified:

¹1 hectare=0.01km²

```
# Fit half-normal point transect detection function,  
ptdat.hn <- ds(data=ptdat, transect="point", key="hn", convert.units=0.01)
```

The `convert.units` argument gives the estimated density in animals per hectare.

The detection function can be plotted as for line transects:

```
# Plot detection function  
plot(ptdat.hn)
```

To plot the probability density function (pdf), an additional argument is required in the `plot` function:

```
# Plot probability density function  
plot(ptdat.hn, pdf=TRUE)
```

Experiment with keys other than the half normal (i.e. hazard rate and uniform) to assess whether these data can be satisfactorily analysed using the wrong model:

- determine a suitable truncation distance, and
- for each key function decide whether any adjustments are needed.

How do the bias and precision compare between models?

3 Wren data (Optional)

A point transect survey of songbirds was conducted at Montrave, Fife, Scotland, in 2004 (Buckland 2006) and for this exercise, the data on winter wrens is used. Several different methods of data collection were used and for this exercise, two point transect methods are used:

1. standard five-minute counts,
2. the ‘snapshot’ method.

For each method the same 32 point transects were used in 33.2 ha of parkland (Fig. 1) and each point transect was visited twice. Detection distances (recorded in metres) were measured with the aid of a rangefinder.

Access to the data

```
load("wren1.RData")
```

You will see that there is an object called `wren1` in your R workspace. There is also a data object available in `dsdata` for method 2 (i.e. `wren2`) which can be loaded in the same way. Have a look at the `wren1` data with

```
head(wren1, n=3)
```

Note the `Effort` field is 2 meaning each point transect was visited twice. The same applies for `wren2`.

What to do:

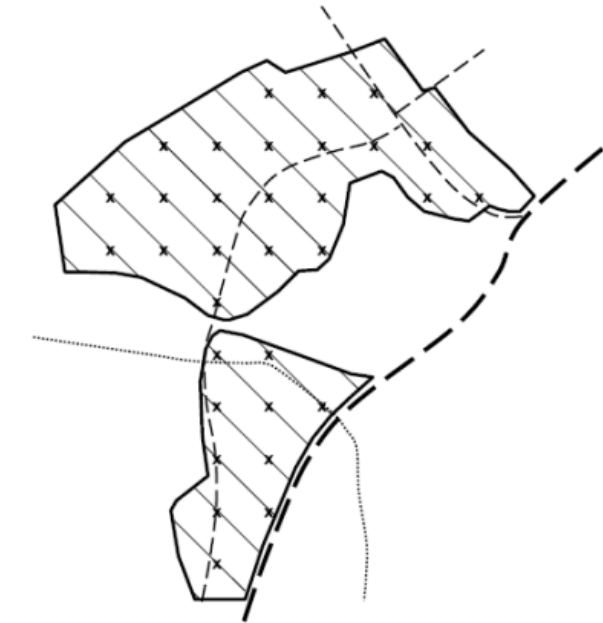


Figure 1: The study site: the dotted line is a small stream, the short dashed lines are tracks and the thick dashed line is a main road. The 32 points, shown by crosses, are laid out on a systematic grid with 100m separation. The diagonal lines were used for a line transect survey.

1. Select a simple model for exploratory data analysis. Experiment with different truncation distances, w , and select a suitable value for each method. Are there any potential problems with any of the data sets?
2. Try other models and model options. Use plots, AIC values and goodness-of-fit test statistics to determine an adequate model.
3. Record your estimates of density and corresponding confidence interval for each method. Compare your answers with those of others in the workshop. The conversion units to obtain density in birds per hectare is `convert.units=0.01`.

4 References

Buckland, ST 2006. Point-transect surveys for songbirds: robust methodologies. *The Auk* 123: 345–57. [https://doi.org/10.1642/0004-8038\(2006\)123%5B345:PSFSRM%5D2.0.CO;2](https://doi.org/10.1642/0004-8038(2006)123%5B345:PSFSRM%5D2.0.CO;2).

Solution 3Rbras. Point transect exercises

5 Simulated data

The code for importing and checking these data and fitting various models is shown below.

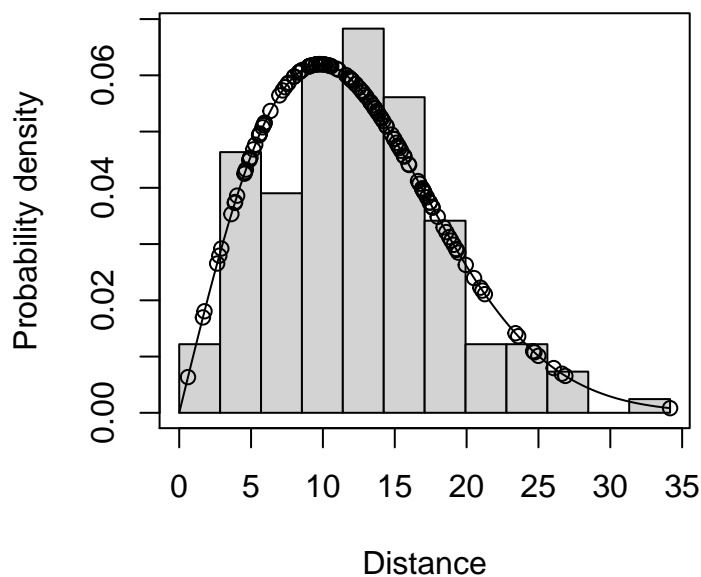
```
library(Distance)

# Read in data
ptdat <- read.csv(file="IntroDS_3Rbras.1.csv", header=T)

# What does data look like
head(ptdat, n=3)

##      Study.Area Region.Label Area Sample.Label Effort object distance
## 1 PTEExercise1      Default    0           1       1       1      8.40
## 2 PTEExercise1      Default    0           2       1       2     13.79
## 3 PTEExercise1      Default    0           2       1       3     20.96

# Fit half-normal detection function, no truncation
ptdat.hn <- ds(data=ptdat, transect="point", key="hn",
               convert.units=0.01)
plot(ptdat.hn, pdf=TRUE)
```



```

# Try truncation of 20m based on preliminary fit

# Half normal, no adjustments
ptdat.hn.t20m <- ds(data=ptdat, transect="point", key="hn", truncation=20,
                    convert.units=0.01)

# Hazard rate, no adjustments
ptdat.hr.t20m <- ds(data=ptdat, transect="point", key="hr", truncation=20,
                    convert.units=0.01)

# Uniform, cosine adjustments
ptdat.uf.cos.t20m <- ds(data=ptdat, transect="point", key="unif",
                        adjustment="cos", truncation=20,
                        convert.units=0.01)

```

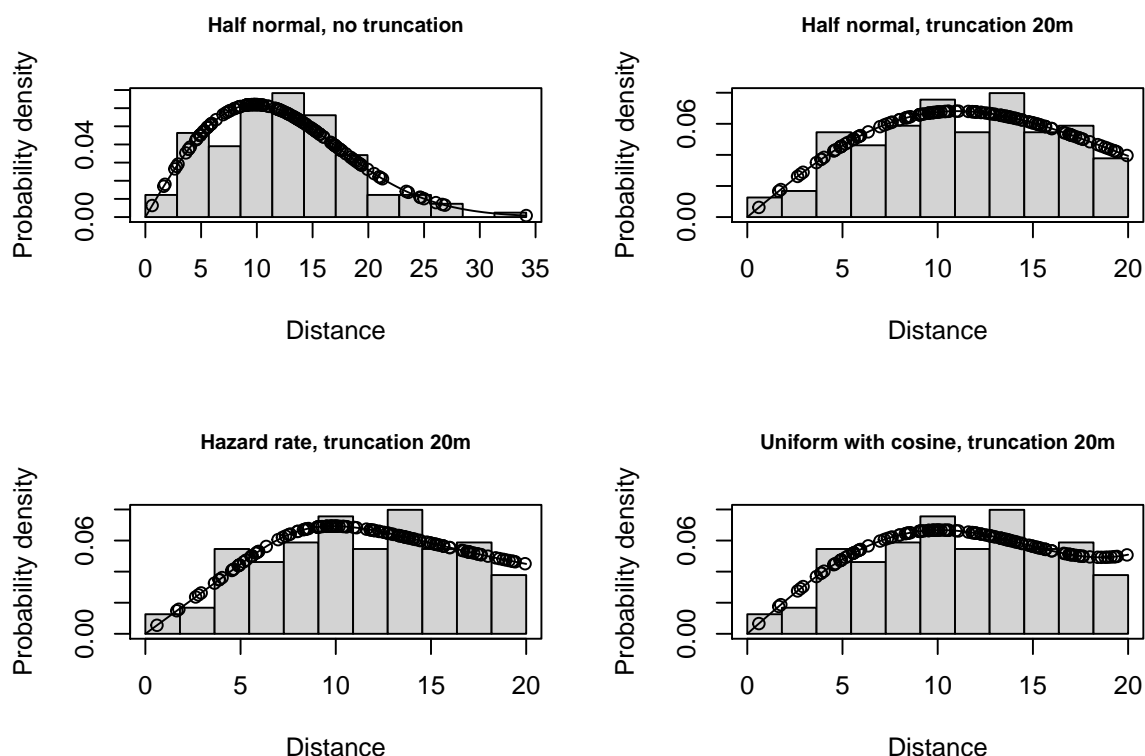
Table 1: Results from simulated point transect data.

DetectionFunction	Adjustments	Truncation	AIC	Density	D.CV	Lower.CI	Upper.CI
Half-nomal	None	34.2	919.1403	79.62956	0.1256098	62.12053	102.0730
Half-nomal	None	20.0	764.3046	70.82577	0.1572081	51.97829	96.5070
Hazard rate	None	20.0	767.2114	62.36395	0.1873007	43.20835	90.0110
Uniform	Cosine	20.0	765.5030	75.04383	0.1436218	56.51495	99.6470

```

# Plot probability density functions
par(mfrow=c(2,2))
plot(ptdat.hn, main="Half normal, no truncation", pdf=TRUE)
plot(ptdat.hn.t20m, main="Half normal, truncation 20m", pdf=TRUE)
plot(ptdat.hr.t20m, main="Hazard rate, truncation 20m", pdf=TRUE)
plot(ptdat.uf.cos.t20m, main="Uniform with cosine, truncation 20m", pdf=TRUE)

```



We see a fair degree of variability between analyses - reliable analysis of point transect data is more difficult than for line transect data. We see greater loss in precision from truncating data relative to line transect sampling, but if we don't truncate data, different models can give widely differing estimates.

6 Wren data (Optional)

In the code provided below, each dataset is loaded and then detection functions that we selected are fitted.

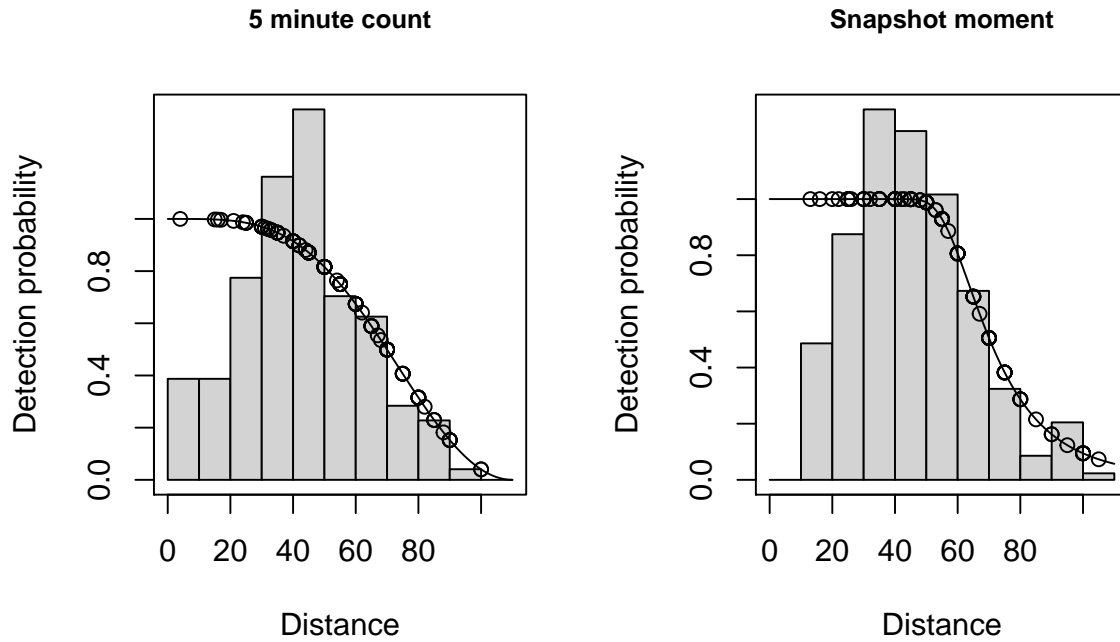
```
# Wren data for Method 1 (5 min counts)
load("wren1.RData")
# Wren data for Method 2 (snapshot)
load("wren2.RData")
# Method 1
wren1.uf.cos.t110 <- ds(data=wren1, key="unif", adjustment="cos",
                      transect="point", truncation=110, convert.units=0.01)
# Method 2
wren2.hr.cos.t110 <- ds(data=wren2, key="hr", adjustment=NULL,
                      transect="point", truncation=110, convert.units=0.01)
```

Table 2: Winter wren density estimates from 5 minute counts and snapshot moment.

Method	Density	Lower.CI	Upper.CI
1	1.284511	0.7894796	2.089943

Method	Density	Lower.CI	Upper.CI
2	1.023128	0.7948734	1.316927

```
# Plot detection functions
par(mfrow=c(1,2))
plot(wren1.uf.cos.t110, main="5 minute count")
plot(wren2.hr.cos.t110, main="Snapshot moment")
```



As the detection distance histograms indicate, winter wren showed evidence of observer avoidance, more than other species in the Montrave study. We show the detection function graph rather than the PDF to emphasise the evasive movement aspect of the data. If you conduct the goodness of fit test, using `gof_ds()`, you will find that the models still suitably fit the data.